

حل تجميعة أسئلة وفق الهيكل الوزاري القسم الورقي منهج ريفيل



تم تحميل هذا الملف من موقع المناهج الإماراتية

موقع المناهج ← المناهج الإماراتية ← الصف الحادي عشر العام ← رياضيات ← الفصل الثالث ← ملفات متنوعة ← الملف

تاريخ إضافة الملف على موقع المناهج: 29-05-2025 10:55:24

ملفات اكتب للمعلم اكتب للطالب | اختبارات الكترونية | اختبارات حلول | عروض بوربوينت | أوراق عمل
منهج إنجلزي | ملخصات وتقديرات | مذكرات وبنوك | الامتحان النهائي | للمدرس

المزيد من مادة
رياضيات:

إعداد: ميساء عيد ضاهر

التواصل الاجتماعي بحسب الصف الحادي عشر العام



الرياضيات



اللغة الانجليزية



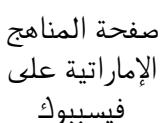
اللغة العربية



ال التربية الاسلامية



المواد على تلغرام



صفحة المناهج
الإماراتية على
فيسبوك

المزيد من الملفات بحسب الصف الحادي عشر العام والمادة رياضيات في الفصل الثالث

تجميعة تدريبات وفق الهيكل الوزاري منهج ريفيل بدون الحل

1

حل تجميعة تدريبات شاملة كامل الهيكل الوزاري منهج بريديج

2

تجميعة تدريبات شاملة كامل الهيكل الوزاري منهج بريديج

3

ملزمة شاملة وفق الهيكل الوزاري منهج بريديج

4

تجميعة أسئلة صفحات الكتاب وفق الهيكل الوزاري منهج بريديج

5

Written

Final

Exam

Grade

11 G

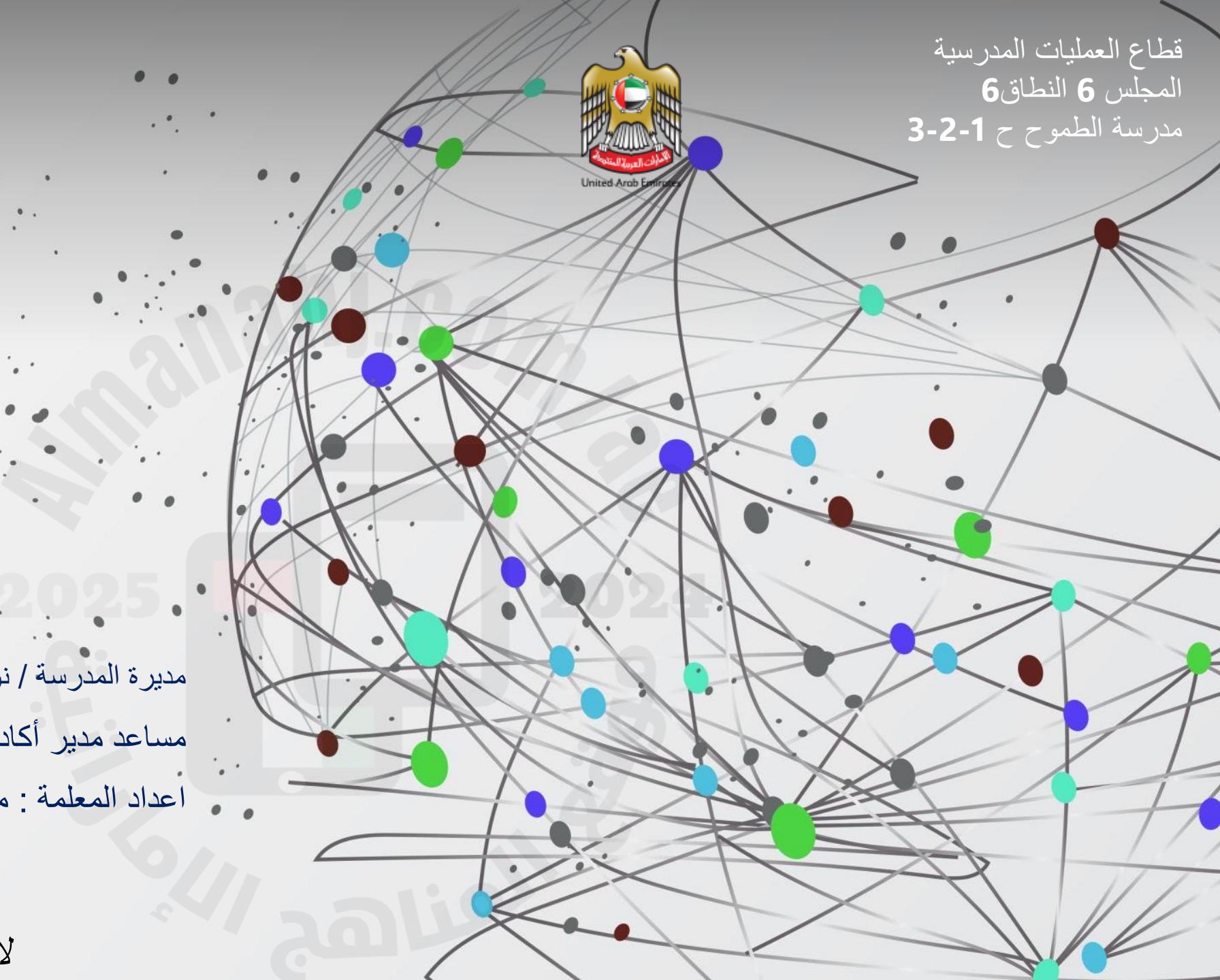
2024-2025

مديرة المدرسة / نوره براك الظاهري

مساعد مدير أكاديمي / حنان الشامسي

إعداد المعلمة : ميساء عيد ضاهر

لا تنسونا من دعائكم ولوالدي بالرحمة



8.2

Using Statistical Experiments



Example 1

Find Probabilities

A student tossed a fair eight-sided die 200 times and recorded the results. Find the theoretical and experimental probabilities of rolling an 8.

Number on Die	Frequency
1	28
2	19
3	24
4	22
5	21
6	18
7	26
8	48

Example 1

Find Probabilities

Theoretical Probability

The theoretical probability is what is expected to happen. Because the die is fair, each side has a $\frac{1}{8}$ chance of being the result. Thus, the theoretical probability is $\frac{1}{8}$, or 12.5%.

Experimental Probability

The experimental probability is based on the data collected from the experiment. Because the die was thrown 200 times and 42 of those throws landed on 8, the experimental probability is $\frac{42}{200}$ or 21%.

8.3

Analyzing Population Data

Mean , standard deviation and variance

الوسط والتباين والانحراف المعياري للتوزيع تكراري أو توزيع احتمالي

مثال: جد الوسط والتباين والانحراف المعياري للتوزيع:

x الدرجات	5	6	8	10
y التكرار	2	3	4	1

$$\begin{aligned}
 \bar{x} &= 7,25 \\
 \sum x &= 29 \\
 \sum x^2 &= 225 \\
 \sigma^2 x &= 3,6875 \\
 \sigma x &= 1,920286437 \\
 s^2 x &= 4,916666667
 \end{aligned}$$

الطريقة:

(1) إعداد النظام وإظهار عمود التكرار:



5 [=] 6 [=] 8 [=] 10 [=] [▼] [▶]

(2) إدخال البيانات:

2 [=] 3 [=] 4 [=] 1 [=]

AC OPTN 2

(3) النتائج:

Example 1

Find a Standard Deviation

TRACK A coach recorded the times of each track member for a **400-meter race**. Find and interpret the standard deviation of the data.

400m Race Times (seconds)	
57.1	55.9
59.3	54.9
54.6	50.3
55.2	53.5

$$\begin{aligned} \bar{x} &= 55,0625 \\ \sum x &= 440,5 \\ \sum x^2 &= 24304,25 \\ n &= 6,15234375 \\ \sum x^2 - \bar{x}^2 &= 2,480391854 \\ S^2 &= 7,03125 \end{aligned}$$

Example 1

Find a Standard Deviation

Step 1 Find the mean, μ .

$$\begin{aligned}\mu &= \frac{57.1+59.3+54.6+55.2+55.9+54.9+50.3+53.5}{8} \\ &= 55.1\end{aligned}$$

The mean running time for the team is 55.1 seconds.

Example 1

Find a Standard Deviation

Step 2 Find the squares of the differences, $(\mu - x_n)^2$.

$$(55.1 - 57.1)^2 = 4.00$$

$$(55.1 - 55.9)^2 = 0.64$$

$$(55.1 - 59.3)^2 = 17.64$$

$$(55.1 - 54.9)^2 = 0.04$$

$$(55.1 - 54.6)^2 = 0.25$$

$$(55.1 - 50.3)^2 = 23.04$$

$$(55.1 - 55.2)^2 = 0.01$$

$$(55.1 - 53.5)^2 = 2.56$$

Step 3 Find the sum.

Find the sum of the values from **Step 2**.

$$4.00 + 17.64 + 0.25 + 0.01 + 0.64 + 0.04 + 23.04 + 2.56$$

$$= 48.18$$

Example 1

Find a Standard Deviation

Step 4 Divide by the number of values.

Divide the sum from **Step 3** by the number of running times.

$$\frac{48.18}{8} = 6.0225$$

This is the variance.

Step 5 Take the square root of the variance.

$$\sqrt{6.0225} \approx 2.45$$

This is the standard deviation.

\bar{x}	= 55,0625
Σx	= 440,5
Σx^2	= 24304,25
$s^2 x$	= 6,15234375
$s x$	= 2,480391854
$s^2 x$	= 7,03125

Example 1

Find a Standard Deviation

The standard deviation is about 2.45. This is small compared with the run times, which means that the majority of the team members times are close to the mean of 55.1 seconds, and almost all of the times will likely fall within 2 standard deviations of the mean, or between 50.2 and 60.0 seconds.

9.2

Trigonometric Functions of General Angles

Example 3

Evaluate Trigonometric Functions Given a Point

The terminal side of θ in standard position contains the point $(-6, 4)$. Find the exact values of the six trigonometric functions of θ .



Example 3

Evaluate Trigonometric Functions Given a Point

Step 1 Draw the angle.

Draw Point P to draw θ with the terminal side through $(-6, 4)$.

Step 2 Find r .

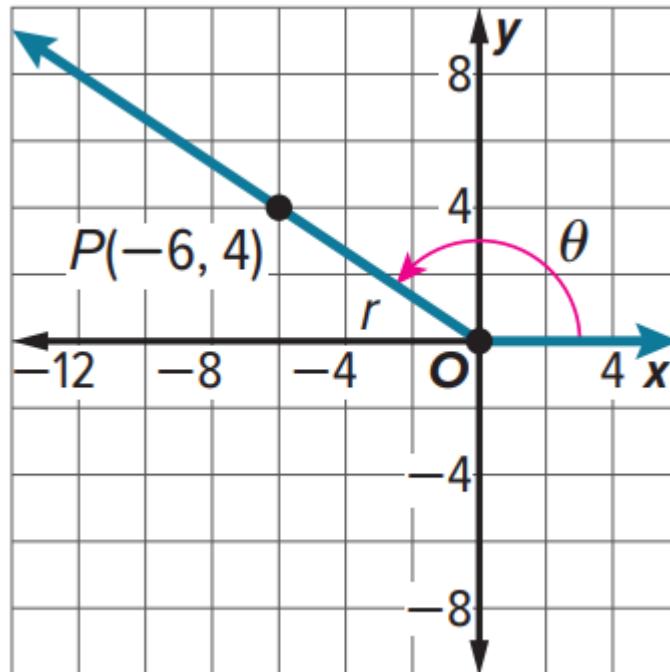
Use the Pythagorean Theorem to find the value of r .

$$\begin{aligned} r &= \sqrt{x^2 + y^2} \\ &= \sqrt{(-6)^2 + 4^2} \\ &= \sqrt{52} \text{ or } 2\sqrt{13} \end{aligned}$$

Pythagorean Theorem

$$x = -6 \text{ and } y = 4$$

Simplify.



Example 3

Evaluate Trigonometric Functions Given a Point

Step 3 Find the trigonometric functions.

Use $x = -6$, $y = 4$, and $r = 2\sqrt{13}$ to write the trigonometric functions.

$$\sin \theta = \frac{y}{r} = \frac{4}{2\sqrt{13}} \text{ or } \frac{2\sqrt{13}}{13}$$

$$\cos \theta = \frac{x}{r} = \frac{-6}{2\sqrt{13}} \text{ or } \frac{-3\sqrt{13}}{13}$$

$$\tan \theta = \frac{y}{x} = \frac{4}{-6} \text{ or } -\frac{2}{3}$$

$$\csc \theta = \frac{r}{y} = \frac{2\sqrt{13}}{4} \text{ or } \frac{\sqrt{13}}{2}$$

$$\sec \theta = \frac{r}{x} = \frac{2\sqrt{13}}{-6} \text{ or } -\frac{\sqrt{13}}{-3}$$

$$\cot \theta = \frac{x}{y} = \frac{-6}{4} \text{ or } -\frac{3}{2}$$

9.6

Graphing Other Trigonometric Functions

State the amplitude, period, phase shift, and vertical shift for each function. Then graph the function.

26. $y = -3 + 2 \sin 2\left(\theta + \frac{\pi}{4}\right)$

The function $y = -3 + 2 \sin 2\left(\theta + \frac{\pi}{4}\right)$ is in the form $y = a \sin b(x - h) + k$.

$a = 2$, so the amplitude is 2.

$b = 2$ and can be used to find the period.

$$\begin{aligned} \text{period} &= \frac{2\pi}{|b|} && \text{Definition of period} \\ &= \frac{2\pi}{|2|} && b = 2 \\ &= \pi && \text{Simplify.} \end{aligned}$$

So, the period is π .

$h = -\frac{\pi}{4}$, so the phase shift is $-\frac{\pi}{4}$.

$k = -3$, so the vertical shift is -3 .

State the amplitude, period, phase shift, and vertical shift for each function. Then graph the function.

27. $y = 3 \cos 2(\theta + 45^\circ) + 1$

The function $y = 3 \cos 2(\theta + 45^\circ) + 1$ is in the form $y = a \cos b(x - h) + k$.

$a = 3$, so the amplitude is 3.

$b = 2$ and can be used to find the period.

$$\text{period} = \frac{360^\circ}{|b|} \quad \text{Definition of period}$$

$$= \frac{360^\circ}{|2|} \quad b = 2$$

$$= 180^\circ \quad \text{Simplify.}$$

So, the period is 180° .

$h = -45^\circ$, so the phase shift is -45° .

$k = 1$, so the vertical shift is 1.

State the amplitude, period, phase shift, and vertical shift for each function. Then graph the function.

28. $y = -1 + 4 \tan(\theta + \pi)$

The function $y = -1 + 4 \tan(\theta + \pi)$ is in the form $y = a \tan b(x - h) + k$.

$a = 4$, so the amplitude is 4.

$b = 1$ and can be used to find the period.

$$\text{period} = \frac{\pi}{|b|} \quad \text{Definition of period}$$

$$= \frac{\pi}{|1|} \quad b = 1$$

$$= \pi \quad \text{Simplify.}$$

So, the period is π .

$h = -\pi$, so the phase shift is $-\pi$.

$k = -1$, so the vertical shift is -1 .

Find values of angle measures by using inverse trigonometric functions.

9.7

Inverse Trigonometric Functions

Example 4

Use Inverse Trigonometric Functions

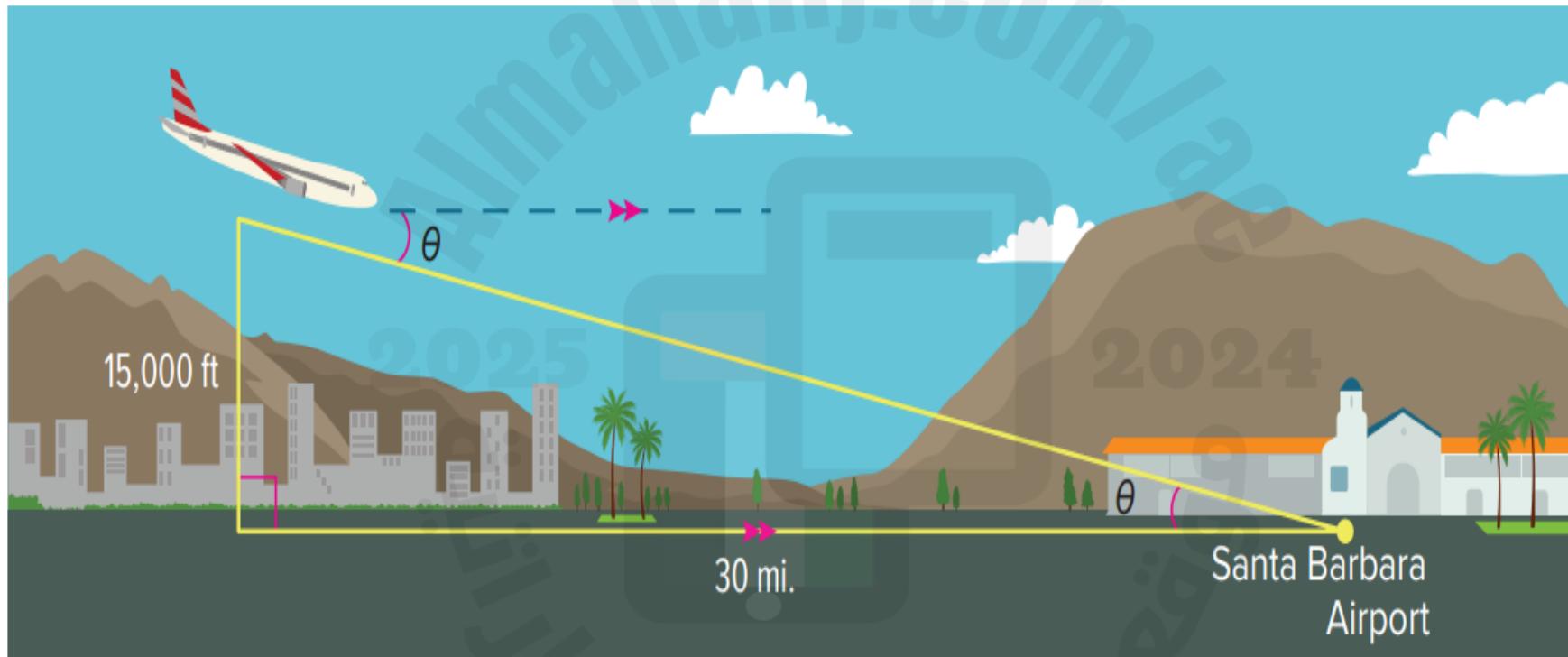
PLANES Suppose a pilot has **30** miles to land a plane at the Santa Barbara airport from an elevation of **15,000** feet. Find the angle in degrees at which the airplane should descend.



Example 4

Use Inverse Trigonometric Functions

Step 1 Draw and label a diagram.



Example 4

Use Inverse Trigonometric Functions

Step 2 Write and solve the trigonometric equation.

$$\tan \theta = \frac{15,000 \text{ ft}}{30 \text{ mi}}$$

Tangent function

$$\tan \theta = \frac{15,000 \text{ ft}}{30 \text{ mi}} \cdot \frac{1 \text{ mi}}{5280 \text{ ft}}$$

Convert miles to feet, 1 mile = 5280 feet.

$$\tan \theta = \frac{15,000}{158,400}$$

Simplify.

$$\theta = \tan^{-1} \left(\frac{15,000}{158,400} \right)$$

Inverse tangent function

$$\theta \approx 5.4^\circ$$

Simplify.

The angle of descent is about 5.4° .